SPEEDEX A Scalable, Parallelizable, and Economically Efficient Decentralized EXchange

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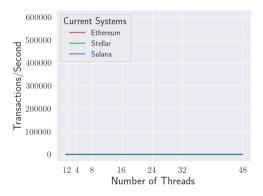
Stanford University

Digital Currency Interoperability

- Digital currencies are on the horizon
- Interoperability will be a crucial challenge
 - Anyone should be able to pay anyone seamlessly, regardless of currencies
- Need efficient infrastructure to trade currencies
- Shared infrastructure should be jointly operated, not centrally controlled
 - Replicated state machine with decentralized consensus layer

Is blockchain a good basis for an asset exchange?

Computational Performance

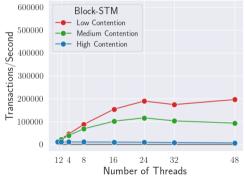


No! Not if you look at existing blockchains

- Dozens of transactions per second

Current Blockchains on Real Traffic (Source: realtps.net)

Computational Performance

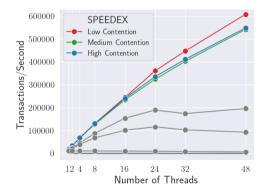


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- Dozens of transactions per second
- State of the art systems not sufficiently scalable
 - Even just for payments

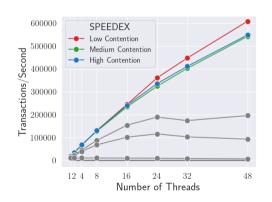
Block-STM [GSXDLM22] on a payments-only workload

Computational Performance



SPEEDEX on a payments-only workload

- No! Not if you look at existing blockchains
 - Dozens of transactions per second
- State of the art systems not sufficiently scalable
 - Even just for payments
- SPEEDEX gets linear scalability
- Exchange is a much harder problem than just payments



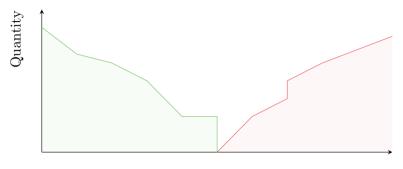
Computational Performance

SPEEDEX on a payments-only workload

Economic Performance

- Efficient Liquidity Usage
- Fair, Open Access

Orderbooks



Price

Every offer modifies the orderbook Every trade can happen at a different price

Decentralized Exchanges Today Bad in Both Categories

Computational Performance

- Read-Modify-Update on shared data structures
- Worst-case for Optimistic Concurrency Control

Economic Performance

- Front-Running
 - High-Frequency Trading



- Suboptimal Liquidity, Cyclic Arbitrage
 - (next slide)

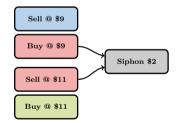
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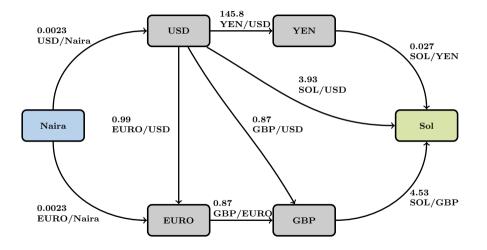
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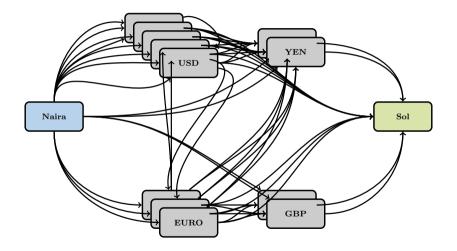


- Suboptimal Liquidity, Cyclic Arbitrage
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Suboptimal Liquidity and Cyclic Arbitrage



Suboptimal Liquidity and Cyclic Arbitrage



SPEEDEX: Batch Trading

- Input: Block of Offers
- 1. Compute Valuations
- 2. Trade with SPEEDEX at Valuation Quotients
 - Meaningless units
 - No pairwise matching!
- "Clearing" if no surplus or debt



SPEEDEX Pricing Engine $p_{USD} = 9$ $p_{EUR} = 10$ $p_{JPY} = \frac{1}{15}$

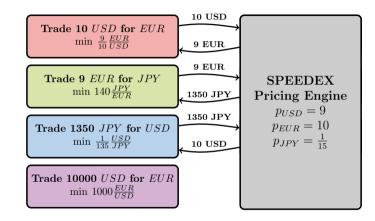
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Theorem (Arrow and Debreu, 1954)

There always exists a unique^{*} set of valuations $\{p_A\}$ that clears the market.

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Why Uniform Clearing Valuations?

Computational Performance

Commutative Trades

- Almost entirely hardware atomics
- Linear Scalability
 - Scalable Commutativity Rule [CKZMK13]

Economic Performance

No In-Batch Front-Running

- No need to hyperoptimize limit prices and network latency
- Everyone gets the same rates
- No Cyclic Arbitrage / Optimal Liquidity Usage
 - No need to specify intermediate assets

SPEEDEX In Context

Prior Work

• 2-Asset Batch Trading

- Response to High-Frequency Trading [BCS15]
- NYSE Opening/Closing Auction
- Many-Asset Batch Trading [CoWSwap]
 - X Unscalable, Low Throughput

Our Contribution

- **1** Compute Valuations at **Scale**
- 2 Feasibility of Many-Asset Batch Trading
- **3** High-Performance System Design

Equilibria Computation

• 2-asset case

- Binary search
- Many-asset case
 - Find simultaneous intersection point of many high-dimensional manifolds over a high-dimensional simplex



Fast Equilibria Computation Use Market Structure to Simplify Problem

All Prior Known Algorithms

• **Runtime** *poly*(#*offers*)

Our Design

- Iterative (based on Tâtonnement [CMV05])
 - Economics 101 Price Adjustment

Iteration runtime

 $O(\#assets^2 \lg(\#offers))$

- Incrementally sort offers by limit price



 p_A/p_B

Empirical Results

 \sim 100 μs per iteration, \sim 1000 iterations

Approximate Equilibria Computation Two Types of Acceptable Approximation

- Most literature algorithms are approximate
 - Too many bits to even write down exact equilibria
- These approximations will do nasty things!
 - X Mint money
 - X Invalid trades
 - 🗙 ...



Approximate Equilibria Computation Two Types of Acceptable Approximation

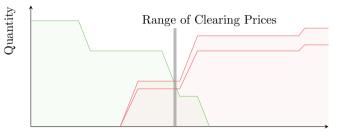
- Smooth limit price thresholds
 - Reduces iterative oscillation
- Trade partially if limit price is *close to* (and below) market rate
 - Experiments use $2^{-10}\approx 0.1\%$



Approximate Equilibria Computation Two Types of Acceptable Approximation

Charge small, fixed fee

- Relaxes "market clearing" to allow surplus, not debt
- Experiments use $2^{-15} \approx 0.003\%$
- Range of approximate clearing prices
 - For computational efficiency, rather than for profit



Accurate Equilibria Computation

- Linear program turns prices into trades
 - Efficient to solve (using market structure decomposition)
- Guarantees approximations take acceptable forms

 $\begin{array}{ll} \max & \sum_{A,B} p_A \, x_{AB} \\ \text{s.t.} \, p_A L_{AB}(\frac{p_A}{p_B}) \leq p_A x_{AB} \leq p_A U_{AB}(\frac{p_A}{p_B}) & \forall A, B \\ & p_A \sum_{B \in [N]} x_{AB} \geq (1 - \text{fee}) \sum_{B \in [N]} p_B x_{BA} & \forall A \end{array}$

Accurate Equilibria Computation

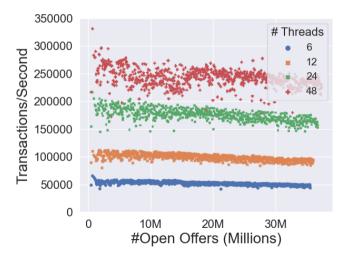
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max Trade Volume

s.t. Correct (Smoothed) Offer Execution Assets Conserved (after fees)

Overall Performance

- 48-CPU replicas
- Linear Scalability
 - Contention with background work (logging)
- Scalability enables adding features but maintaining throughput
 - 50 assets, 10M accounts, Hashing, Logging,...
- Log Dependence on #offers



Implementation

• Self-contained SPEEDEX

- https://github.com/scslab/speedex
- $\,\sim$ 30,000 LOC C++

Prototyped in Stellar (Layer-1 Blockchain)

- https://github.com/gramseyer/stellar-core
- Adds \sim 2000 LOC C++ to Stellar
- Commutative semantics, not parallel performance
- This is the only piece that needs a "hard fork"
 - Parallelization does not require coordinated upgrades





SPEEDEX

Is blockchain a good basis for an asset exchange?

- Not for traditional order matching
- Yes, if you solve more problems at the same time
 - Linear scalability via commutativity
 - Eliminate (a common type of) front-running, improve liquidity
- Scalability can require letting go of traditional semantics, and this can be a good thing in many other ways!
- SPEEDEX handles more than **200,000 trades/second** on 48-core commodity hardware, with 10s of millions of open offers